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## OU TUDE Classes Schedule (2)





<b>EXAM TARGET</b>	SUBJECT	TIME	FACULTY
ALL PSUs	ENGINEERING MATHS	10:00 AM	ANANT SIR
<b>GATE 2024-25</b>	METWORK THEORY	6:00 PM	RAVI SIR
<b>GATE 2024-25</b>	ELECTRICAL MACHINE	7:30 PM	SANTAN SIR
<b>GATE 2024-25</b>	COMMUNICATION	9:00 PM	RENU SIR

## OU TUDE Classes Schedule (2)







<b>EXAM TARGET</b>	SUBJECT	TIME	FACULTY
ALL PSUs	ENGINEERING MATHS	10:00 AM	ANANT SIR
ALL PSUs	GEOTECHNICAL	1:00 PM	RUDRA SIR
<b>GATE 2024-25</b>	STEEL STRUCTURE	6.00 PM	REHAN SIR
<b>GATE 2024-25</b>	ENVIRONMENT	8:00 PM	PRATIK SIR
<b>GATE 2024-25</b>	SOM	9:00 PM	MUKESH SIR

## OU TUDE Classes Schedule (2)







<b>EXAM TARGET</b>	SUBJECT	TIME	FACULTY
ALL PSUs	ENGINEERING MATHS	10:00 AM	ANANT SIR
ALL PSUs	PRODUCTION	11:30 PM	GAURAV SIR
ALL PSUs	THERMODYNAMICS	3:00 PM	KANISTH SIR
<b>GATE 2024-25</b>	HMT	4:30 PM	YOGESH SIR
<b>GATE 2024-25</b>	SOM	9:00 PM	MUKESH SIR



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## FREE APP CLASS SCHEDULE

#### MECHANICAL ENGINEERING



Prachar

~	HMT	MONDAY Live @11AM	YOGESH SIR
'	PRODUCTION	TUESDAY Live @11AM	GAURAV SIR
	som	WEDNESDAY Live @8PM	MUKESH SIR
	THERMODYNAMICS	THURSDAY Live @11AM	KANISTH SIR
	ENGINEERING MATHEMATICS	FRIDAY Live @11AM	ANANT SIR

tree

# FREE APP CLASS SCHEDULE



#### EE & ECEENGINEERING



NETWORK THEORY	SATURDAY Live @11AM	RAVI SIR
COMMUNICATION	WEDNESDAY Live @8PM	RENU SIR
ANALOG ELECTRONICS	THURSDAY Live @8PM	LAWRENCE SIR
ENGINEERING MATHEMATICS	FRIDAY Live @11AM	ANANT SIR
ELECTRICAL MACHINE	MONDAY Live @8PM	SANTAN SIR

# FREE APP CLASS SCHEDULE





SOM	WEDNESDAY Live @8PM	MUKESH SIR
ENVIRONMENT	THURSDAY Live @8PM	PRATIK SIR
STEEL STRUCTURE	FRIDAY Live @8PM	REHAN SIR
GEOTECHNICAL	SATURDAY Live @11AM	RUDRA SIR
ENGINEERING MATHEMATICS	FRIDAY Live @11AM	ANANT SIR

Fore sersions

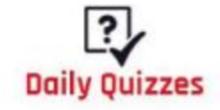
Premium Study Material

PP FEATURES





















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Q:39 Given the following statements about a function  $f: R \to R$ , select the right option:

P: If f(x) is continuous at  $x = x_0$ , then it is differential at  $x = x_0$ .

Q: If f(x) is continuous at  $x = x_0$ , then it may not be differentiable at  $x = x_0$ .

R: If f(x) is differentiable at  $x=x_0$ , then it is also continuous at  $x=x_0$ 



Q:40 The function  $f(x) = x \sin x$  satisfies the following equation: f''(x) + f(x) + f(x)t cosx = 0. The value of t is

$$f'(x) + f(x) + t(cosx = 0)$$

$$f(x) = x sinx$$

$$f'(x) = x cosx + sinx$$

$$f''(x) = -x sinx + cosx + cosx = -x sinx + 2 cosx$$

$$-x sinx + 2 cosx + x sinx + t cosx = 0$$

$$+ (cosx = -2 cosx + 3) = 1$$



- Q:41 If a function is continuous at a point,
  - (a) the limit of the function may not exist at the point.
  - (b) the function must be derivable at the point.
    - (c) the limit of the function at the point tends to infinity.
  - (d) the limit must exist at the point and the value of limit should be same as the value of the function at that point.



Q:42 Consider the function f(x) = |x| in the interval  $-1 < x \le 1$ . At the point x

$$= 0$$
,  $f(x)$  is

- (a) continuous and differentiable
  - (b) non continuous and differentiable
  - e) continuous and non-differentiable
  - (d) neither continuous nor differentiable

$$| Imp f(x) - | x | - | x | 0 \le x < 1$$

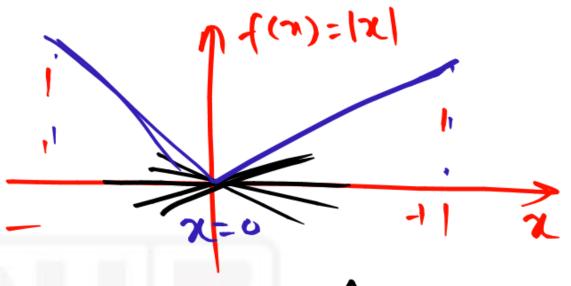
$$| LH \cdot L - | x | - | x | - | x < 0$$

$$| LH \cdot L - | x | f(x) - 0 | f(x) = 0$$

$$| R \cdot H \cdot L - | x | f(x) = 0$$

$$| R \cdot H \cdot L - | x | f(x) = 0$$

$$| R \cdot H \cdot L - | x | f(x) = 0$$





Q:43 What should be the value of  $\lambda$  such that the function defined below is

continuous at  $x = \pi/2$ ?

$$f(x) = \begin{cases} \frac{\lambda \cos x}{\frac{\pi}{2} - x} & \text{if } x \neq \pi/2\\ \frac{\pi}{2} - x & \text{if } x = \pi/2 \end{cases}$$

(b)  $2/\pi$ 

(d)  $\pi/2$ 

continuous at 
$$x = \pi/2$$
?

$$f(x) = \begin{cases} \frac{\lambda \cos x}{\frac{\pi}{2} - x} & \text{if } x \neq \pi/2 \\ 1 & \text{if } x = \pi/2 \end{cases}$$

$$\begin{cases} f(x) = \begin{cases} \frac{\lambda \cos x}{\frac{\pi}{2} - x} & \text{if } x \neq \pi/2 \\ 1 & \text{if } x = \pi/2 \end{cases}$$

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- Q:44 The function y = |2 3x| (2-3x)  $|2-3x| \ge 0 \Rightarrow x \le \frac{2}{3}$  (a) is continuous  $\forall x \in \mathbb{R}$  and differentiable  $\forall x \in \mathbb{R}$ 

  - (b) is continuous  $\forall x \in \mathbb{R}$  and differentiable  $\forall x \in \mathbb{R}$  except at x = 3/2
  - (c) is continuous  $\forall x \in R$  and differentiable  $\forall x \in R$  except at x = 2/3

is continuous  $\forall x \in R$  except x = 3 and differentiable  $\forall x \in R$ 

The secontinuous 
$$\forall x \in \mathbb{R}$$
 except  $x = 3$  and differentiable  $\forall x \in \mathbb{R}$ 

for  $x \neq \frac{2}{3}$  as  $f(x)$  is algebraic polynomial so  $f(x)$ .

Continuous  $\forall x \in \mathbb{R}$  except  $x = 3$  and differentiable  $\forall x \in \mathbb{R}$ 

Continuous  $\forall x \in \mathbb{R}$  except  $x = 3$  and differentiable  $\forall x \in \mathbb{R}$ 

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Continuous  $\forall x \in \mathbb{R}$  except  $x = 3$  and differentiable  $\forall x \in \mathbb{R}$ 

Continuous  $\forall$ 

R.H.D. = 
$$\lim_{\lambda \to \infty} f(x) = +3$$
  
L.H.D.  $f(x)$ 



Q:45 Consider the function  $f(x) = |x^3|$ , where x is real. then the function f(x) at x = 0 is

- (a) continuous but not differentiable
- once differentiable but not twice
- (c) twice differentiable but not thrice

then the function 
$$f(x)$$
 at  $x = 0$  is

(a) continuous but not differentiable

(b) once differentiable but not twice

(c) twice differentiable but not thrice

(d) three differentiable

(e) three differentiable

(f)  $f'(x) = 0$ 

(g)  $f''(x) = 0$ 

(h)  $f''(x) = 0$ 



#### Q:46 Which one of the following functions is continuous at x = 3?

$$\int_{X} f(x) = \begin{cases}
2, & \text{if } x = 3 \\
x - 1, & \text{if } x > 3
\end{cases}$$

$$\int_{X} f(x = 3) - 2$$

$$\int_{X} f(x = 3) - 3$$

$$\int_$$

(b) 
$$f(x) = \begin{cases} 4, & \text{if } x = 3 \\ 8-x & \text{if } x \neq 3 \end{cases}$$
  
 $f(x=3) = 4$   
L.H.L. =  $8-3=5$ 

(d) 
$$f(x) = \frac{1}{x^3 - 27}$$
, if  $x \neq 3$   
function is not defined at  $x = 3$   
—9 Not - Continuous



### Q:47 The values of x for which the function $f(x) = \frac{x^2 - 3x - 4}{x^2 + 3x - 4}$ is NOT continuous are

- (a) 4 and -1
- (b) 4 and 1

$$\chi^{2} + 3\chi - 4 = 0$$

$$\chi^{2} + 4\chi - \chi - 4 = 0$$

$$(\chi + 4)(\chi - 1) = 0$$

$$\chi = -4, 1$$

$$\chi = -3 \pm \sqrt{9 + 16} = -3 \pm \sqrt{24}$$

$$2 = -1, -4$$



While minimizing the function f(x), necessary and sufficient conditions for a point  $x_0$  to be minima are

(a) 
$$f'(x_0) > 0$$
 and  $f''(x_0) = 0$ 

(b) 
$$f'(x_0) < 0$$
 and  $f''(x_0) = 0$ 

(c) 
$$f'(x_0) = 0$$
 and  $f''(x_0) < 0$ 

(d) 
$$f'(x_0) = 0$$
 and  $f''(x_0) > 0$ 



- Q:49At x = 0, the function f(x) = |x| has -
  - (a) a minimum
  - (b) a maximum
  - (c) a point of inflection
  - (d) neither a maximum nor minimum



- O:50 The function  $f(x) = 2x x^2 + 3$  has -
  - (a) a maxima at x = 1 and a minima at x = 5
  - (b) a maxima at x = 1 and a minima at x = -5
  - (c) only a maxima at x = 1
  - (d) only a minima at x = 1



Q:51

If the sum of the diagonal elements of a  $2 \times 2$  symmetric matrix is - 6, then the maximum possible value of determinant of the matrix is



**THANKS FOR** 

# Watching Adda 247







