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OU Classes Schedule (2)







EXAM TARGET	SUBJECT	TIME	FACULTY
ALL PSUs	ENGINEERING MATHS	10:00 AM	ANANT SIR
GATE 2024-25	NETWORK THEORY	6:00 PM	RAVI SIR
GATE 2024-25	ELECTRICAL MACHINE	7:30 PM	SANTAN SIR
GATE 2024-25	COMMUNICATION	9:00 PM	RENU SIR

Ou Tune Classes Schedule (2)







EXAM TARGET	SUBJECT	TIME	FACULTY
ALL PSUs	ENGINEERING MATHS	10:00 AM	ANANT SIR
ALL PSUs	GEOTECHNICAL	1:00 PM	RUDRA SIR
GATE 2024-25	STEEL STRUCTURE	6.00 PM	REHAN SIR
GATE 2024-25	ENVIRONMENT	8:00 PM	PRATIK SIR
GATE 2024-25	SOM	9:00 PM	MUKESH SIR

OU Tube Classes Schedule (2)







EXAM TARGET	SUBJECT	TIME	FACULTY
ALL PSUs	ENGINEERING MATHS	10:00 AM	ANANT SIR
ALL PSUs	PRODUCTION	11:30 PM	GAURAV SIR
ALL PSUs	THERMODYNAMICS	3:00 PM	KANISTH SIR
GATE 2024-25	HMT	4:30 PM	YOGESH SIR
GATE 2024-25	SOM	9:00 PM	MUKESH SIR



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MECHANICAL ENGINEERING



Prachand

d	НМТ	MONDAY Live @11AM	YOGESH SIR
	PRODUCTION	TUESDAY Live @11AM	GAURAV SIR
	SOM	WEDNESDAY Live @8PM	MUKESH SIR
	THERMODYNAMICS	THURSDAY Live @11AM	KANISTH SIR
	ENGINEERING MATHEMATICS	FRIDAY Live @11AM	ANANT SIR

FREE APP CLASS SCHEDULE



EE & ECEENGINEERING



NETWORK THEORY	SATURDAY Live @11AM	RAVI SIR
COMMUNICATION	WEDNESDAY Live @8PM	RENU SIR
ANALOG ELECTRONICS	THURSDAY Live @8PM	LAWRENCE SIR
ENGINEERING MATHEMATICS	FRIDAY Live @11AM	ANANT SIR
ELECTRICAL MACHINE	MONDAY Live @8PM	SANTAN SIR

FREE APP CLASS SCHEDULE





SOM	WEDNESDAY Live @8PM	MUKESH SIR
ENVIRONMENT	THURSDAY Live @8PM	PRATIK SIR
STEEL STRUCTURE	FRIDAY Live @8PM	REHAN SIR
GEOTECHNICAL	SATURDAY Live @11AM	RUDRA SIR
ENGINEERING MATHEMATICS	FRIDAY Live @11AM	ANANT SIR

APP FEATURES









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While minimizing the function f(x), necessary and sufficient conditions

for a point x_0 to be minima are

(a)
$$f'(x_0) > 0$$
 and $f''(x_0) = 0$

(b)
$$f'(x_0) < 0$$
 and $f''(x_0) = 0$

(c)
$$f'(x_0) = 0$$
 and $f''(x_0) < 0$

(d)
$$f'(x_0) = 0$$
 and $f''(x_0) > 0$



- Q:49At x = 0, the function f(x) = |x| has -
 - (a) a minimum
 - (b) a maximum
 - (c) a point of inflection
 - (d) neither a maximum nor minimum

ft x=0 function f(n)=1x1 is non-differentiable. so it an't to be stationary point so it does not have a maxima or minima at x-o.

but it has a minimum value



- O:50 The function $f(x) = 2x x^2 + 3$ has -
 - (a) a maxima at x = 1 and a minima at x = 5
 - (b) a maxima at x = 1 and a minima at x = -5
 - (e) only a maxima at x = 1
 - (d) only a minima at x = 1

$$\frac{df(x) = 0}{dx}$$
 $2 - 2x = 0$
 $x = 1$

at
$$x=1$$

$$f'(x=1)=-2 < 0$$



Q:51

If the sum of the diagonal elements of a 2×2 symmetric matrix is - 6, then the maximum possible value of determinant of the matrix is

A =
$$\begin{bmatrix} q & b \\ c & d \end{bmatrix}$$
 -| race = -6
for symmetric modrix $q_{ij} = q_{ji}$ | $A = ad$
 $b = c$
 $\begin{bmatrix} q & b \\ b & d \end{bmatrix}$ | $A = ad$
 $A = ad$

$$|A| = ad - b^2$$

 $|A| = ad$
 $|A| = ad$
 $|A| = ad$
 $|A| = a(-a-6) = -a^2 - 6a$
 $-2a-6=0=1a=-3$
 $|A| = 9$



0:52For a right angled triangle, if the sum of the lengths of the hypotenuse and a side is kept constant in order to have maximum area of the triangle, the angle between the hypotenuse and the side is -

$$(c) 60^{\circ}$$

$$5(k_5-5ky) - 5ky$$

 $5(k_5-5ky) - 5ky$

H+b=K (constant)

Area=
$$\frac{1}{2}$$
 x width x hight

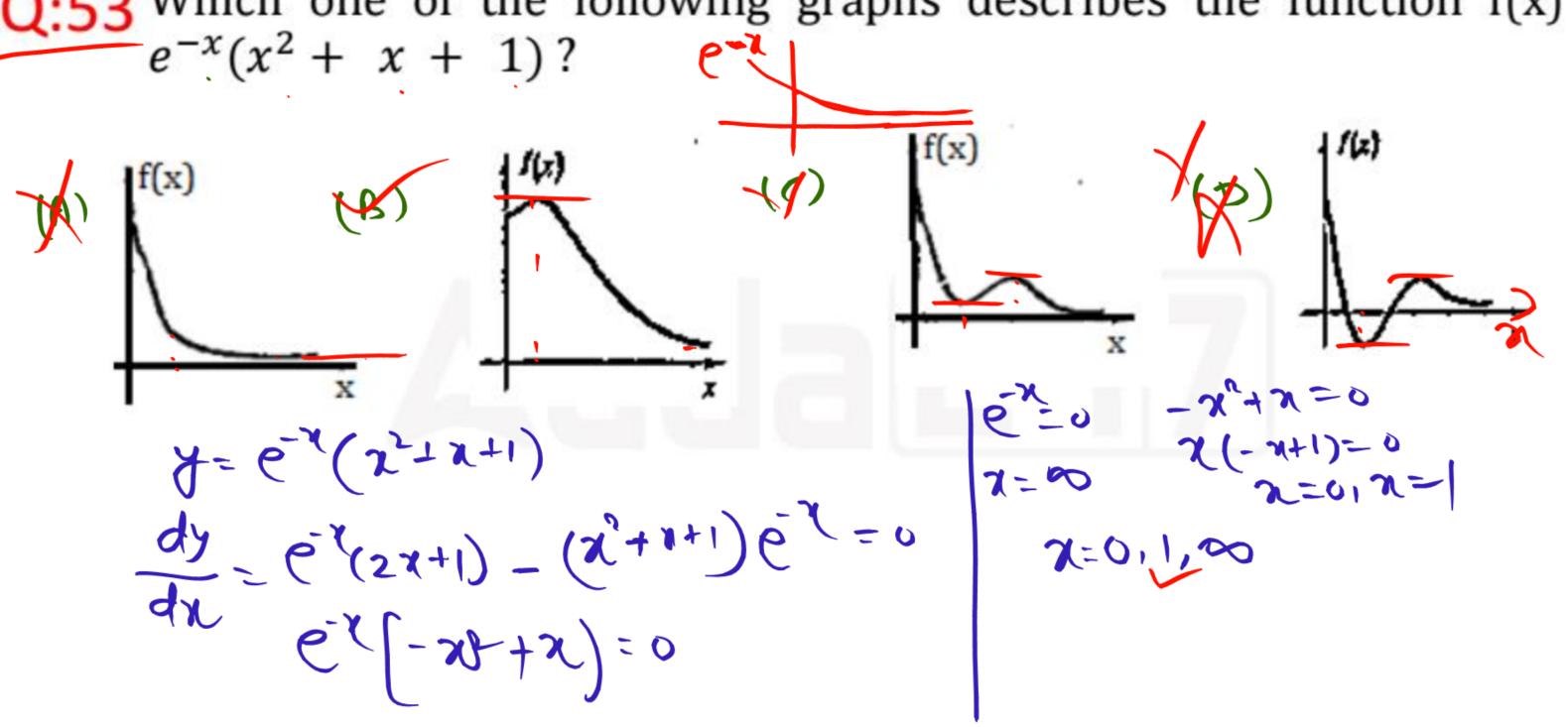
= $\frac{1}{2}$ x bx 9

A) =
$$\frac{1}{2} \times \Delta \times \sqrt{H^2 \cdot \delta^2}$$

 $f(\Delta) = \frac{1}{2} \times \Delta \times \sqrt{(k \cdot \delta)^2 - \delta^2} = \frac{2}{2} \cdot \left[\frac{k^2 - 2k\delta}{k^2 - 2k\delta} \right] = 0$
 $f'(\delta) = \frac{1}{2} \left[\sqrt{k^2 - 2k\delta} + \delta \right] = 0$



Q:53 Which one of the following graphs describes the function f(x) =





Q:54 The function $f(x) = 2x^3 - 3x^2 - 36x + 2$ has its maxima at -

$$(x) x = -2$$
 only

(b)
$$x = 0$$
 only

(c)
$$x = 3$$
 only

(c)
$$x = 3$$
 only
(d) both $x = -2$ and $x = 3$

$$\chi_{5} - 3x + 5x - 6 = 0$$

$$(\chi -3)(\chi +1) = 0$$

$$\chi = 38 - 5 \text{ are Ytationary bounds.}$$

$$\chi = 38 - 5 \text{ are Ytationary bounds.}$$

$$\chi = 33 + 5 \times - 3$$

$$t_{11}(-51 = -2)$$
 (morning)
 $t_{11}(3) = 2$ (minima)
 $t_{11}(x) = 5x - 1$



Q:55 The minimum value of function $y = x^2$ in the interval [1,5] is -

- (a) 0
- (b) 1
- (c) 25
- (d) undefined



- Q:56 At x = 0, the function $f(x) = x^3 + 1$ has -
 - (a) a maximum value
 - (b) a minimum value
 - (c) a singularity
 - (d) a point of inflection



Q:57 For the function $f(x) = x^2 e^{-x}$, the maximum occurs when x is equal to -

- (a) 2
- (b) 1
- (c) 0
- (d) 1





- Q:58 Consider function $f(x) = (x^2 4)^2$ where x is a real number. Then the function has -
 - (a) only one minimum
 - (b) only two minima
 - (c) three minima
 - (d) three maxima



- Q:59 A cubic polynomial with real coefficients -
 - (a) can possibly have no extrema and no zero crossings
 - (b) may have up to three extrema and upto 2 zero crossings
 - (c) cannot have more than two extrema and more than three zero crossings
 - (d) will always have an equal number of extrema and zero crossings

THANKS FOR

Watching Adda 247







