Solutions

S1. Ans.(c)
Fundamental harmonic frequency open
pipe
$$= \frac{y}{2L} = v_1$$
 (say)
Fundamental harmonic frequency
closed pipe $= \frac{y}{4L} = v_2$ (say)
 $= \frac{y}{v_1} = \frac{x}{4L} = \frac{y}{4L}$ (say)
S2. Ans.(b)
 $v \propto \sqrt{\text{Tension}}$
 $\frac{y}{v_1} = \sqrt{\frac{T}{2T}}$
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S3. Ans.(a)
 $v = \frac{1}{4L}\sqrt{\frac{T}{2}}$
Tension decreases means frequency
decreases
 $|h_A - \eta_B| = 6Hz$
 $530Hz \longrightarrow \frac{536x}{5244}$
S4. Ans.(a)
 $\frac{4}{4} = 120Hz = \frac{y}{2L} \rightarrow 120 = \frac{y}{2(00)}$
 $\frac{4}{3} = 180Hz = \frac{y}{2L} \rightarrow 120 = \frac{y}{2(00)}$
 $\frac{4}{3} = \frac{4}{2} + \frac{y}{2} + \frac{12}{3} = \frac{1}{2} + \frac{12}{2} = \frac{y}{2(00)}$
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S11. Ans.(d)

$$\frac{\ell}{Open organ pipe} = n = \frac{\nu}{2t} \Rightarrow l = \frac{\nu}{2n}, \\
l = l_1 + l_2 = \frac{\nu}{2n_1}, \\
l = l_1 + l_2 = \frac{\nu}{2n_2}, \\
l = l_1 + l_2 = \frac{\nu}{2n_2}, \\
l = l_1 + l_2 = \frac{\nu}{2n_1}, \\
l = l_1 + l_2 = \frac{\nu}{2n_2}, \\
l = l_1 + l_2 + l_2 = \frac{\nu}{2n_2}, \\
l = l_1 + l_2 + l_2 = \frac{\nu}{2n_2}, \\
l = l_1 + l_2 + l_2 = \frac{\nu}{2n_2}, \\
l = l_1 + l_2 + l_2 = \frac{\nu}{2n_2}, \\
l = l_1 + l_2 + l_$$

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$$\int_{0}^{1} \int_{0}^{1} \int_{0$$

 $v_m = 36 \text{ km hour}^{-1} = 36 \times \frac{5}{18} \text{ms}^{-1} = 10 \text{ms}^{-1}$

Speed for car,

 $v_c = 18 \text{ km hour}^{-1} = 18 \times \frac{5}{18} \text{ms}^{-1} = 5 \text{ms}^{-1}$ Frequency of source, $v_0 = 1392 \text{ Hz}$

Speed of sound, $v = 343 \text{ ms}^{-1}$

The frequency of the honk heard by the motorcyclist is

$$v' = v_0 \left(\frac{v + v_m}{v + v_c}\right) = 1392 \left(\frac{343 + 10}{343 + 5}\right)$$
$$= \frac{1392 \times 353}{348} = 1412 \ Hz$$

S23. Ans.(a)

Pressure change will be minimum at both open ends

S24. Ans.(b)

Frequency of unknown source = 246 Hz or 254 Hz.

Second harmonic of this source = 492 Hz or 508 Hz which gives 5 beats per second, when sounded with a source of frequency 513 Hz. Therefore unknown frequency = 254 Hz.

S25. Ans.(b)

$$k = \frac{2\pi}{\lambda} = \frac{2\pi}{2\pi} = 1$$
 and $\omega = 2\pi f = (2\pi)\left(\frac{1}{\pi}\right) = 2$

So equation of wave

$$y = \sin(kx - \omega t) = \sin(x - 2t)$$